

# SCINTILLATION DETECTORS



## SCINTILLATORS SHOULD

1. CONVERT K.G. INTO LIGHT WITH HIGH EFF.
2. CONVERSION SHOULD BE LINEAR
3. SCINT. MATERIAL SHOULD BE TRANSPARENT TO ITS EMITTED LIGHT
4. PERSISTENCE SHOULD BE SHORT
5. EASY TO MANUFACTURE, ROBUST, ETC.

## SCINTILLATING MATERIALS:

ORGANIC SCINTILLATORS. FLUORESCENCE PROCESS ARISES FROM TRANSITIONS IN THE ENERGY LEVEL STRUCTURE OF A SINGLE MOLECULE, & THEREFORE CAN BE OBSERVED FROM A GIVEN MOLECULE IN ANY PHYSICAL STATE.

• EX: ANTHRACENE IS OBSERVED TO FLUORESCENCE AS SOLID POLYCRYSTALLINE, AS A VAPOR, AS A COMPONENT OF A MULTICOMPONENT SOLUTION. (AS OPPOSED TO CRYSTALLINE INORGANIC SUCH A NaI - REQUIRES CRYSTAL STRUCTURE FOR SCINT PROCESS)

- MOST ARE EXCITED ELECTRON STATES

~~SINGLET~~ SINGLET (SPIN 0)  
TRIPLET (SPIN 1) } ENERGIES 3-7 eV

FLUORESCENCE DECAY TIMES FOLLOW

$$I = I_0 e^{-t/\tau} \quad \tau \text{ --- fluorescence decay const.}$$

$\tau \approx$  a few nanoseconds.

• EX STILBENE

# LIQUID<sup>ORGANIC</sup> SCINT COUNTERS

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- +  $\lambda$ -SHIFTER TO MAXIMIZE LIGHT DETECTION
- DISOLVE RADIONUCLIDE IN IT FOR 100% EFF  
- NESS FOR LOW-LEVEL  $\beta^-$  ACTIVITY

C-14 TRITIUM

## PLASTIC SCINT

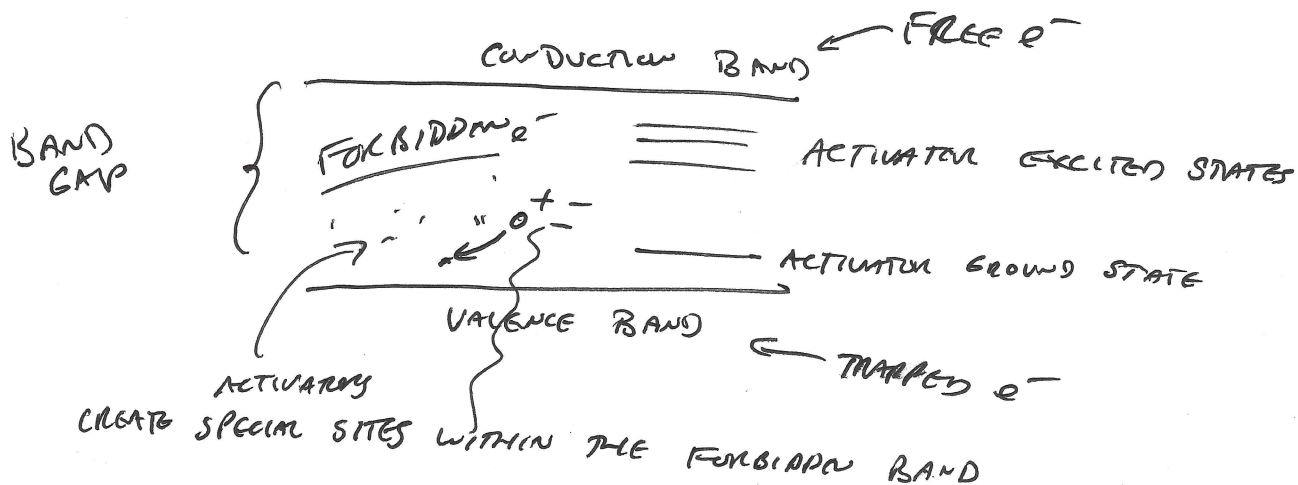
ORGANIC SCINT, LIQUIFIED & POLYMERIZED INTO A SOLID PLASTIC. RODS, CYL, FLAT SHEETS

GOOD FOR COMPLICATED GEOMETRIES, LARGE AREAS, VOLUMES.

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## INORGANIC SCINTILLATORS

SCINT MECHANISM IN INORGANIC MATERIALS DEPENDS ON THE ENERGY STATES DETERMINED BY CRYSTAL LATTICE.



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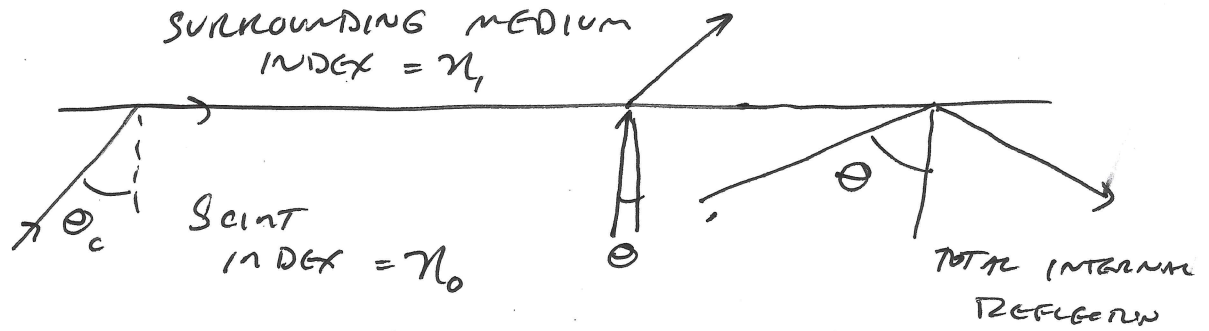
$T_{1/2}$  OF EXCITED STATES  $\sim 10^{-7}$  seconds

### SCINTILLATION EFF

$\sim 3 \times$  BAND GAP ENERGY TO CREATE 1  $e^-$ -HOLE PAIR.

- IN NaI 20 eV MUST BE LOST TO CREATE 1  $e^-$ -HOLE PAIR
- 1 MeV PARTICLE  $\rightarrow 5 \times 10^4$   $e^-$ -HOLE PAIR
- NaI (TL) ABS SCINT EFF IS  $\sim 12\%$
- ACTIVATORS SATISFY THE TRANSPARENCY REQUIREMENT
- NaI (TL) MOST HIGH LIGHT YIELD,  
+ ENERGY RESPONSE TO  $e^-$  + GAMMA VERY LIN.
- BISMUTH GERMANATE (BGO)  $\text{Bi}_4\text{Ge}_3\text{O}_{12}$ 
  - LIGHT YIELD 10-20% OF NaI
  - BUT HIGH DENSITY  $\sim 7.38/\text{cm}^3$
  - + MORE RUGGED
  - HIGH GAMMA RAY COUNTING EFFICIENCY  
(PORTABLE INSTRUMENTS)

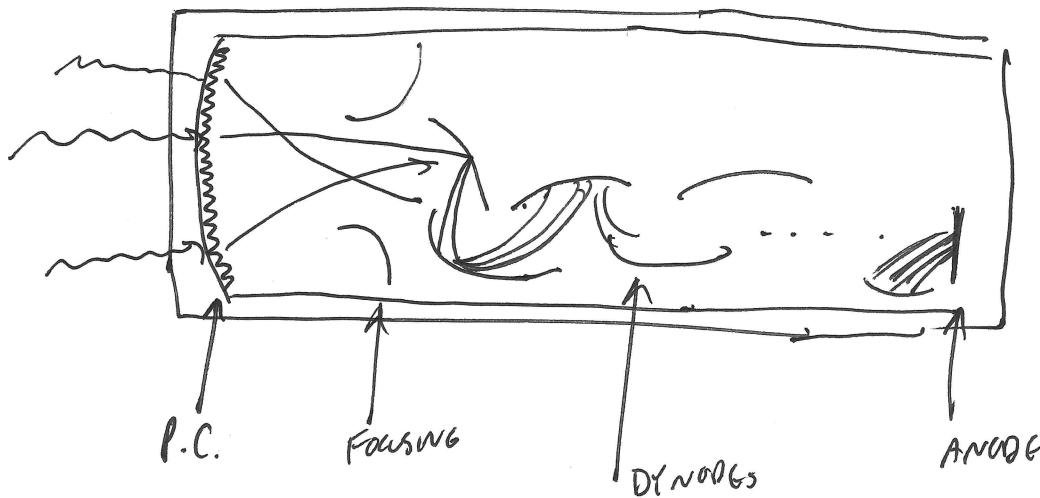
# UNIFORMITY OF LIGHT COLLECTION



$$\theta_c = \sin^{-1}\left(\frac{n_1}{n_0}\right)$$

OPTICALLY COUPLED LIGHT SENSING DEVICE.

## PMTs



1. ABSORPTION OF INCIDENT PHOTONS + XFER OF ENERGY TO AN  $e^-$
2. MIGRATION OF  $e^-$  TO THE SURFACE
3. ESCAPE OF THAT  $e^-$  FROM THE SURFACE

W.F.  $\sim 3eV$  (AS LOW AS 1.5-2eV)

PMT  $QE = \frac{\# \text{ PHOTOELECTRON EMITTED}}{\# \text{ INCIDENT PHOTONS}}$

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TYPICAL PMT  $\sim 20\%$

PMT GAIN ARISES FROM SECONDARY  $e^-$  EMISSION

$e^-$  LEAVING PHOTOCATHODE HAVE KE  $\sim 1eV$

HOLD 1<sup>ST</sup> DYNODE @ +100V, CREATION OF  $e^-$

@ DYNODE  $\sim 2-3eV$ , SO 1 PHOTO  $e^- \rightarrow 30 e^-$  per 100V OF ACCELERATING VOLTAGE

$$\delta = \frac{\# \text{ SECONDARY } e^- \text{ EMITTED}}{\text{PRIMARY } e^- \text{ INCIDENT}}$$

PRACTICAL MATERIALS SUCH AS BeO, MgO, Cs<sub>3</sub>Sb

$\delta \approx 4 \sim 6$  FOR 100V PER DYNODE STAGE

OVER ALL GAIN =  $\alpha \delta^N$  ← NUMBER OF STAGES

FRACTION OF ALL  $e^-$  COLLECTED BY MULTIPLIER STRUCTURE  $\sim 1$

10 STAGE TUBE

$\delta = 5$  GAIN =  $1 \cdot (5)^{10} = 10^7$

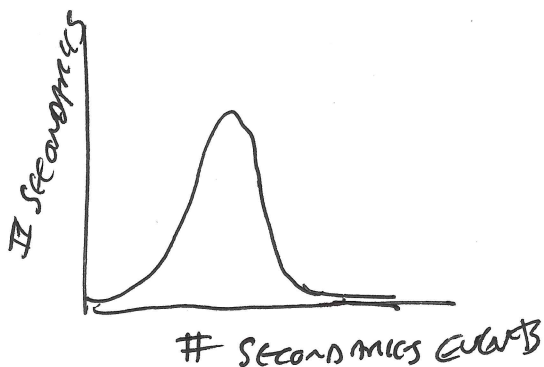
# $e^-$ MULTIPLICATION STATISTICS

2<sup>ND</sup> EMISSION IS STATISTICAL + WILL VARY ABOUT ITS MEAN VALUE

1<sup>ST</sup> STAGE MEAN VALUE  $\delta$  WITH STD DEV  $\sqrt{\delta}$   
COMPOUND OVER  $N$  STAGES

AMPLITUDE  $\delta^N$  VARIANCE

$$\frac{1}{\delta} + \frac{1}{\delta^2} + \frac{1}{\delta^3} + \dots \approx \frac{1}{\delta - 1}$$



LINERITY: CONSTANT 1 photon  $\rightarrow$  10,000 photons

EXAMPLE: SCINTILLATION EVENT LIBERATES  $\sim 1000$  photons

GAIN  $10^6$  SO  $10^9 e^-$ /Pulse SAT EVENT RATE  $10^5$ /sec

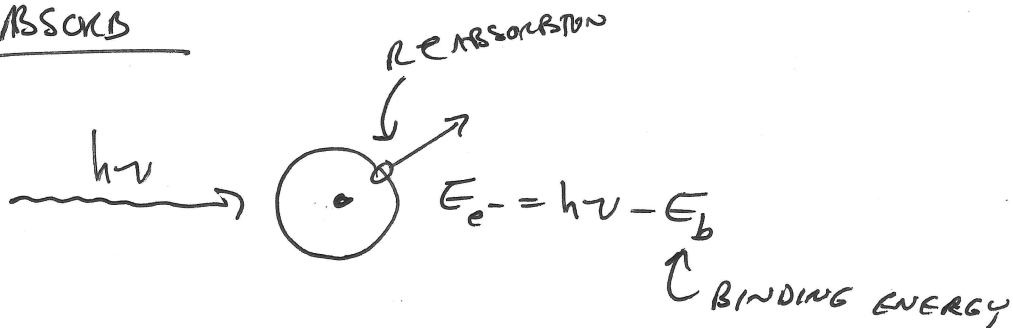
$$I_{AVG} = 10^9 \frac{e^-}{\text{pulse}} \cdot 1.6 \times 10^{-19} \frac{\text{Coul}}{e^-} \cdot 10^5 \frac{\text{Pulses}}{\text{Second}} = 0.016 \text{ mA}$$

# SPECTROSCOPY

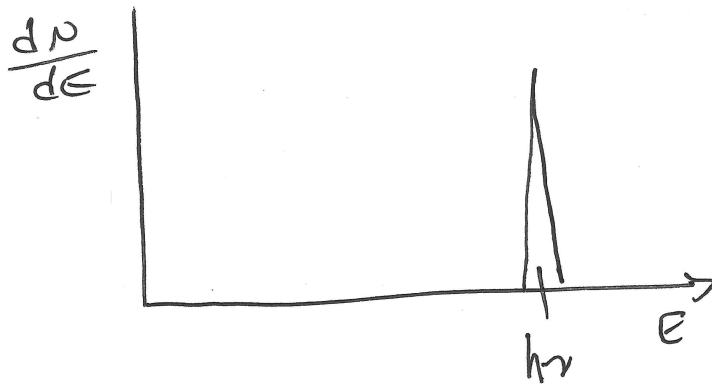
## 3-WAYS GAMMAS INTERACT

- PHOTOELECTRIC ABSORPTION
- COMPTON SCATTERING
- PAIR PRODUCTION

## P.E. ABSORBS



TOTAL ENERGY ABSORPTION IS THE IDEAL PROCESS IN MEASURING ORIGINAL GAMMA RAY ENERGY



## COMPTON SCATTERING

ENERGY OF SCATTERED GAMMA RAY IS:

$$h\nu' = \frac{h\nu}{1 + \left(\frac{h\nu}{m_0c^2}\right)(1 - \cos\theta)}$$

$m_0c^2 = 0.511 \text{ MeV}$

$$E_{e^- \text{ recoil}} = h\nu - h\nu' = h\nu \left( \frac{\left(\frac{h\nu}{m_0c^2}\right)(1 - \cos\theta)}{1 + \left(\frac{h\nu}{m_0c^2}\right)(1 - \cos\theta)} \right)$$

## 2 EXTREME CASES

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1. GRAZING ANGLE SCATTERING  $\theta \cong 0$

$$h\nu' \cong h\nu \quad \text{and} \quad E_e \cong 0$$

2. HEAD ON COLLISION  $\theta = \pi$

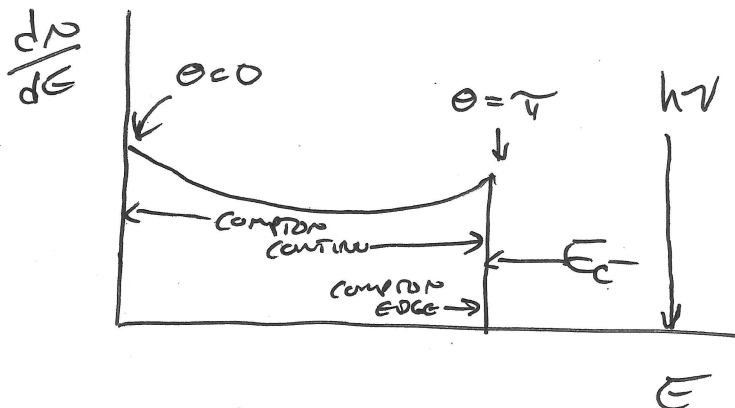
"EXTREME ENERGY THAT CAN BE XPOSED TO  $e^-$ "

$$h\nu' \Big|_{\theta=\pi} = \frac{h\nu}{1 + \frac{2h\nu}{m_0c^2}}$$

$$E_e \Big|_{\theta=\pi} = h\nu \left( \frac{2h\nu/m_0c^2}{1 + 2h\nu/m_0c^2} \right)$$

↓ EVERYTHING IN BETWEEN,

ELECTRON ENERGY DISTRIBUTION



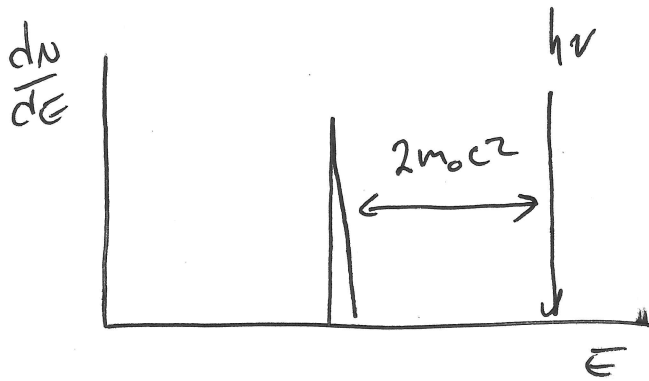
$$E_c = h\nu - E_e \Big|_{\theta=\pi} = \frac{h\nu}{1 + 2h\nu/m_0c^2} \quad h\nu \gg m_0c^2/2$$

$$E_c \cong \frac{m_0c^2}{2} = 0.256 \text{ MeV}$$

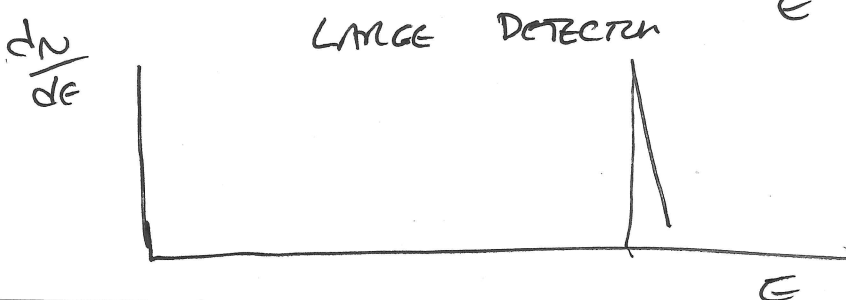
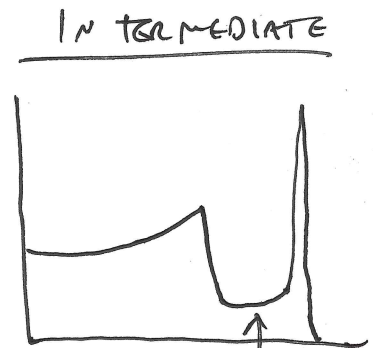
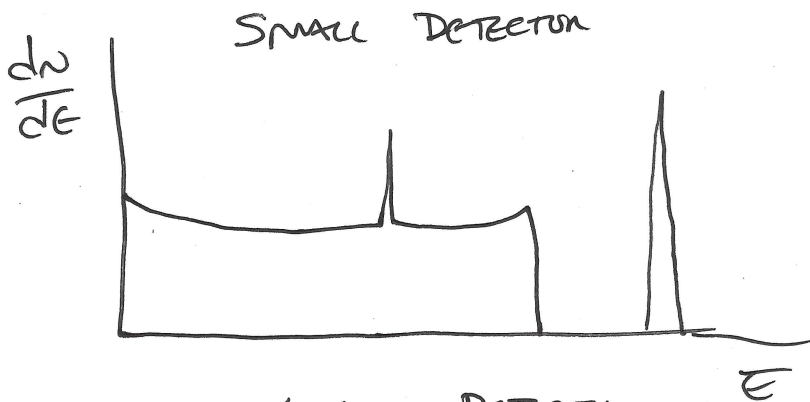
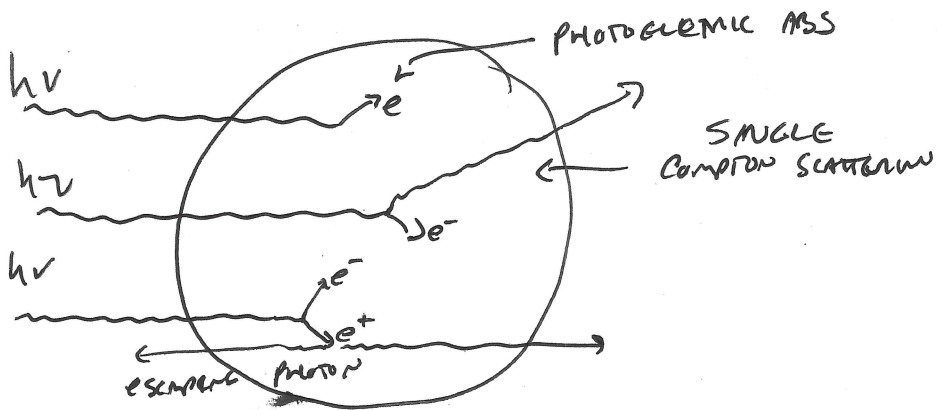


### 3. PAIR PRODUCTION

$$E_{e^-} + E_{e^+} = h\nu - 2m_0c^2$$



### COMBINED EFFECTS DETECTOR RESPONSE.



# RESOLUTION

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- CHARGE COLLECTION STATISTICS,
- ELECTRONIC NOISE
- VARIATIONS IN DETECTOR RESPONSE OVER ACTIVE VOLUME
- P.M GAIN EVENT TO EVENT
- VARIATION OF LIGHT COLLECTED FROM DIFFERENT REGIONS

STATISTICAL SPREADS ARE SINGLE MOST IMPORTANT CAUSE OF PEAK BROADENING, MOST SIGNIFICANT AT THE POINT OF THE SIGNAL CHAIN WHERE INFORMATION CARRIERS ARE AT A MINIMUM.

SCINT LIGHT  $\rightarrow$   $e^-$  FROM PHOTO CATHODE

EX: 0.5 MeV IS DEPOSITED  $\gamma$  RAY INTO SCINT CRYSTAL.

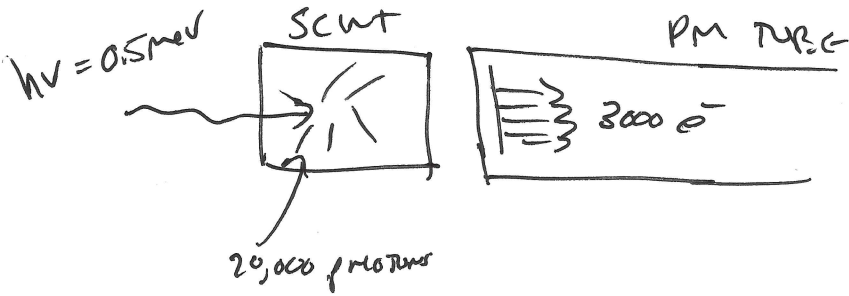
NaI(Tl) SCINT EFF  $\sim$  12%

$\therefore$  60 keV IS CONVERTED INTO VISIBLE LIGHT WITH AVG PHOTON ENERGY OF 3eV

$\Rightarrow$  20,000 PHOTONS ARE PRODUCED.

ASSUME LOSS AT INTER FACE SO 15,000 PHOTONS HIT PHOTO CATHODE

PMT QE: 20%  $\rightarrow$  3000 PHOTO ELECTRONS  
(MINIMUM NUMBER)



STANDARD DEVIATION

$$\sigma = \sqrt{3000} \quad 1.8\% \text{ OF MEAN VALUE}$$

ENERGY RESOLUTION IS DEFINED AS FWHM

FWHM IS  $2.35 \times \sigma =$

$$1.8 \times 2.35 = 4.3\%$$

$$R = \frac{\text{FWHM}}{\text{PEAK}} \times 100\%$$

5% VERY GOOD, 10% TYPICAL